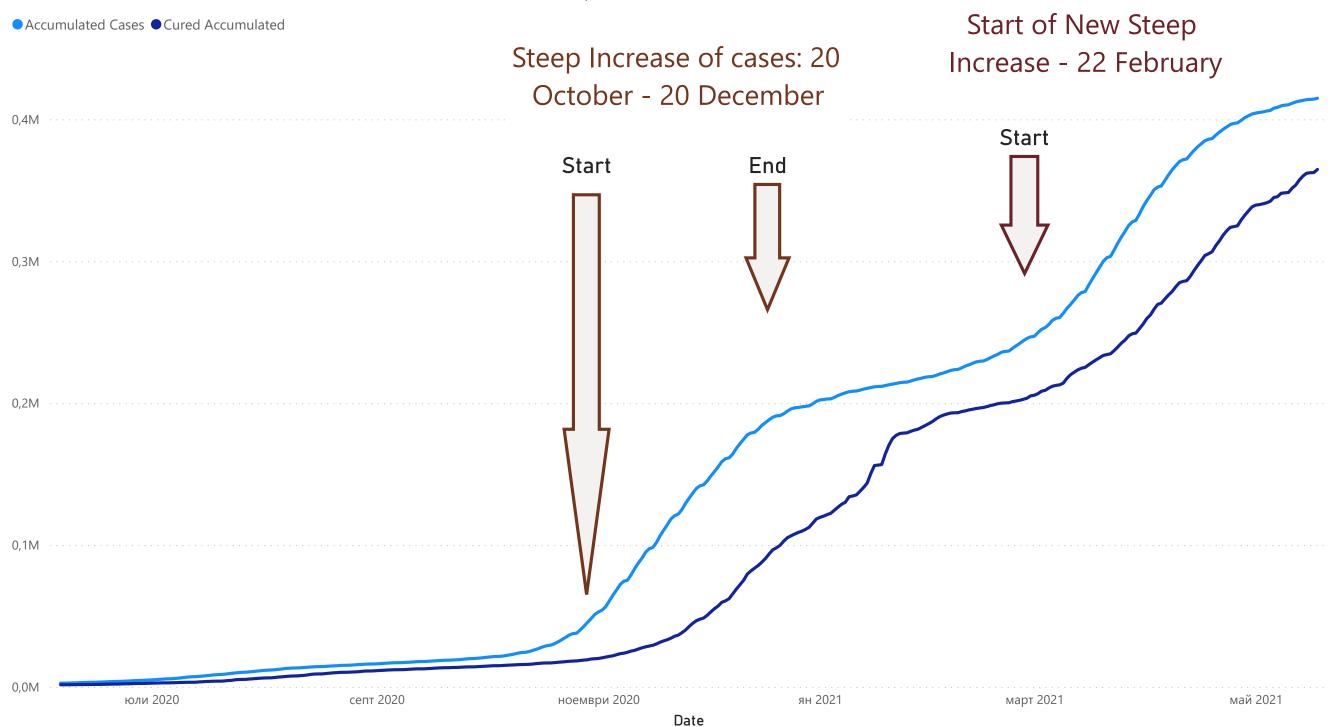
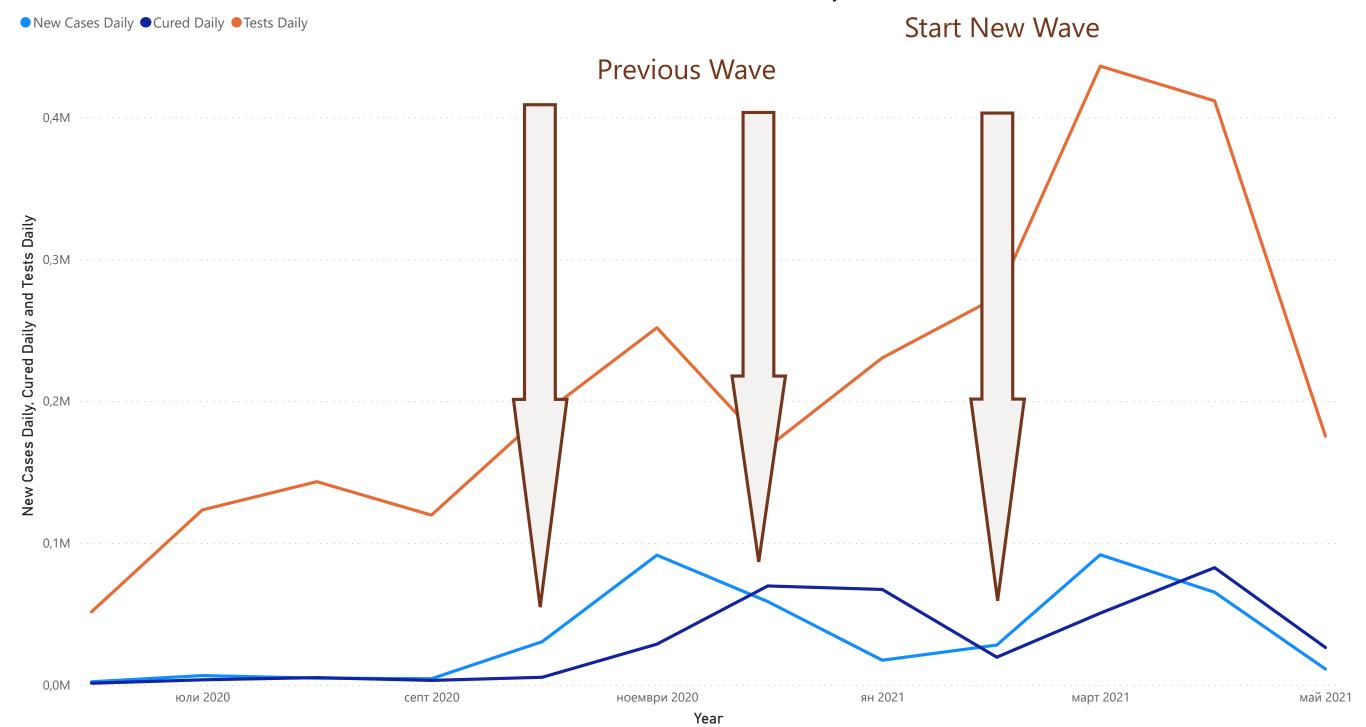
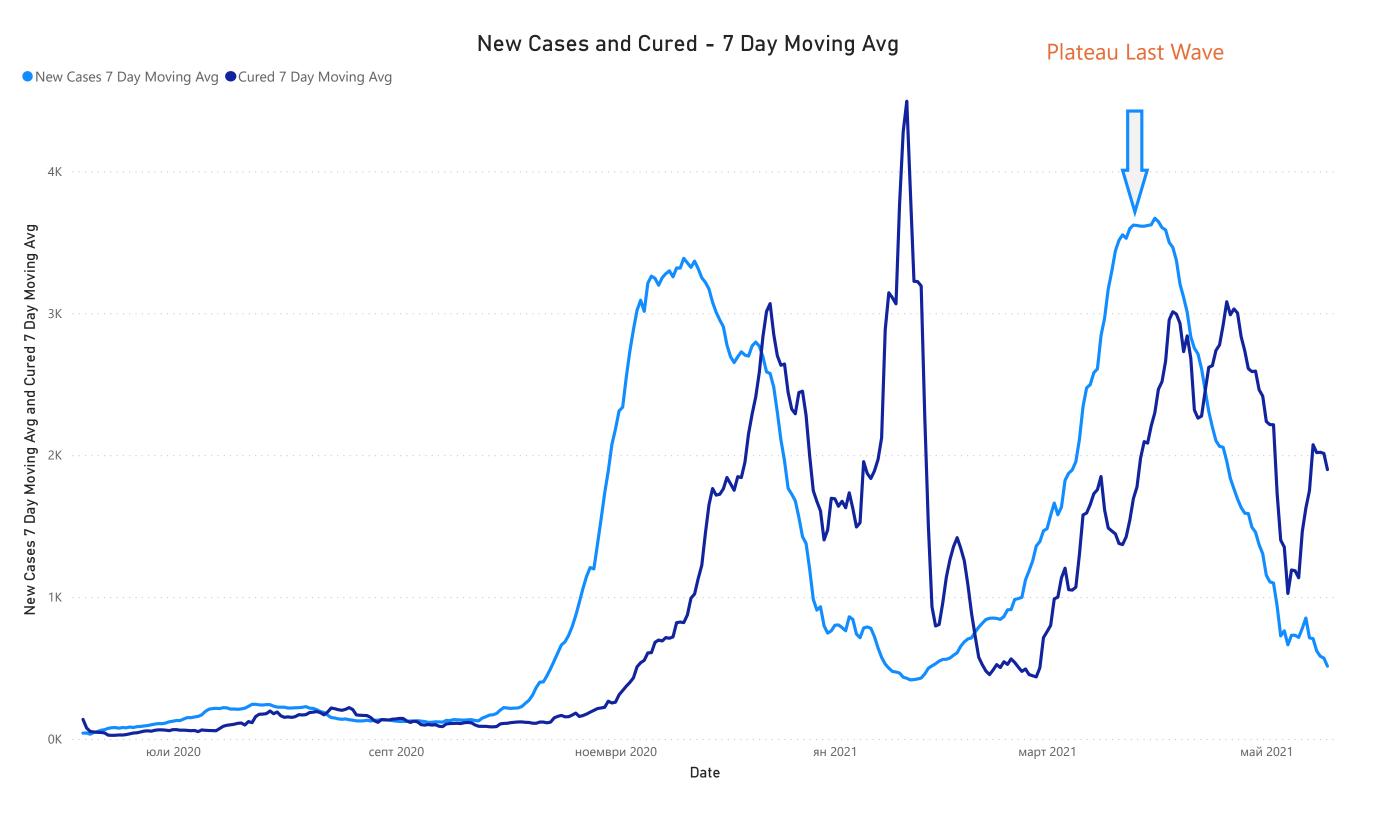
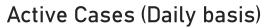
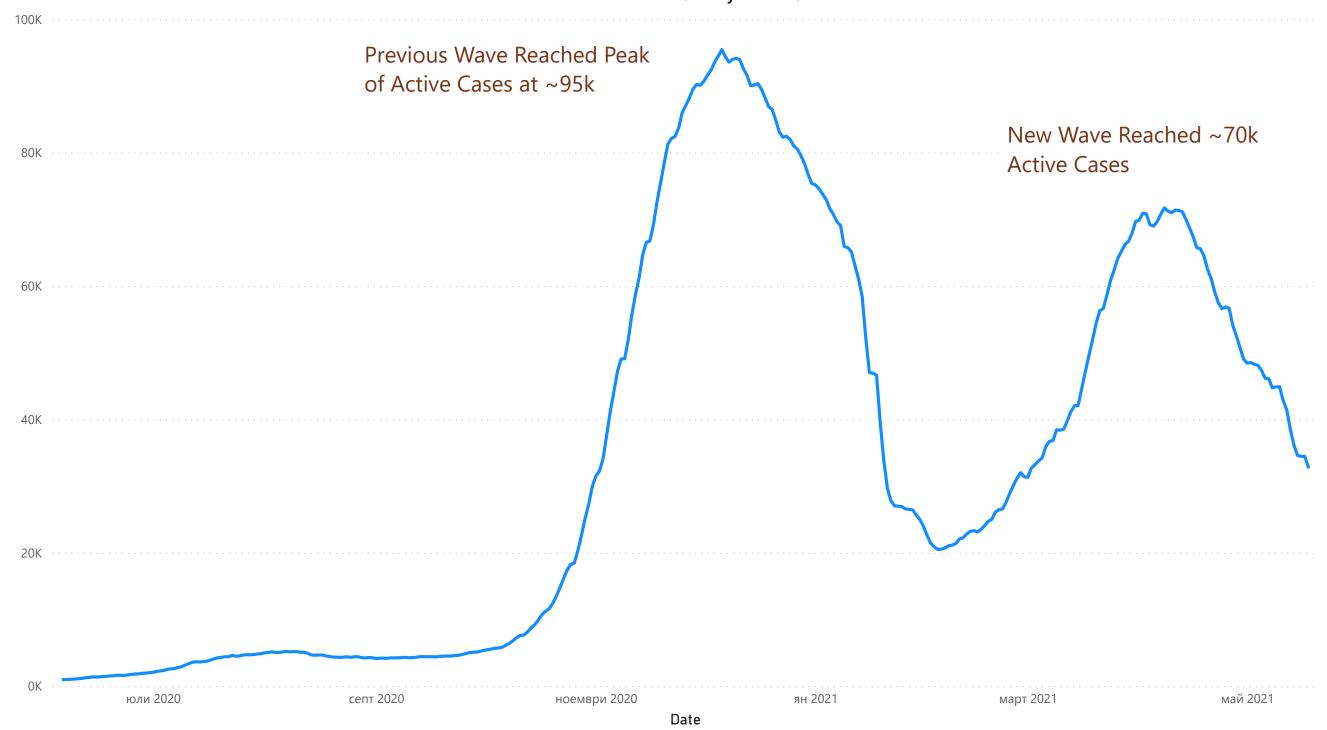
Accumulated Cases, Cured Accumulated and Active Cases



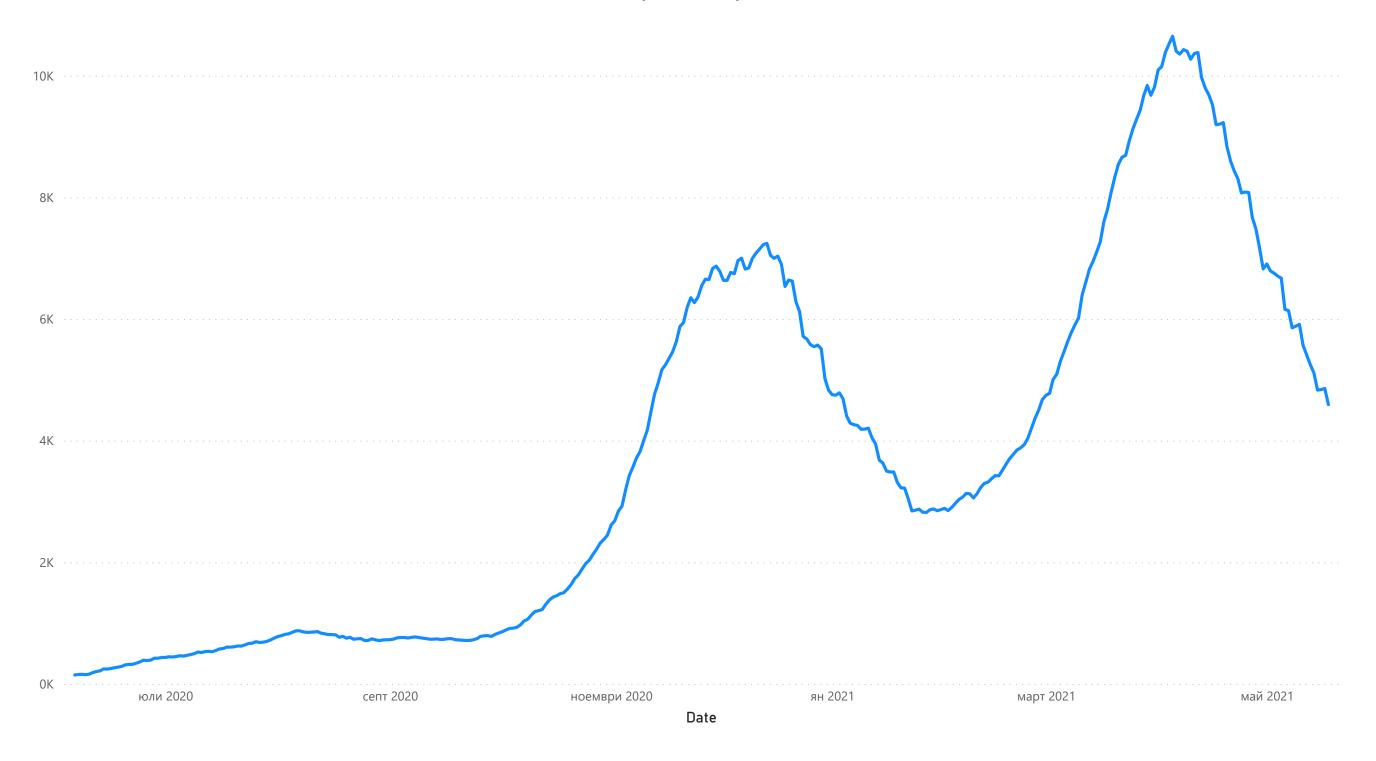




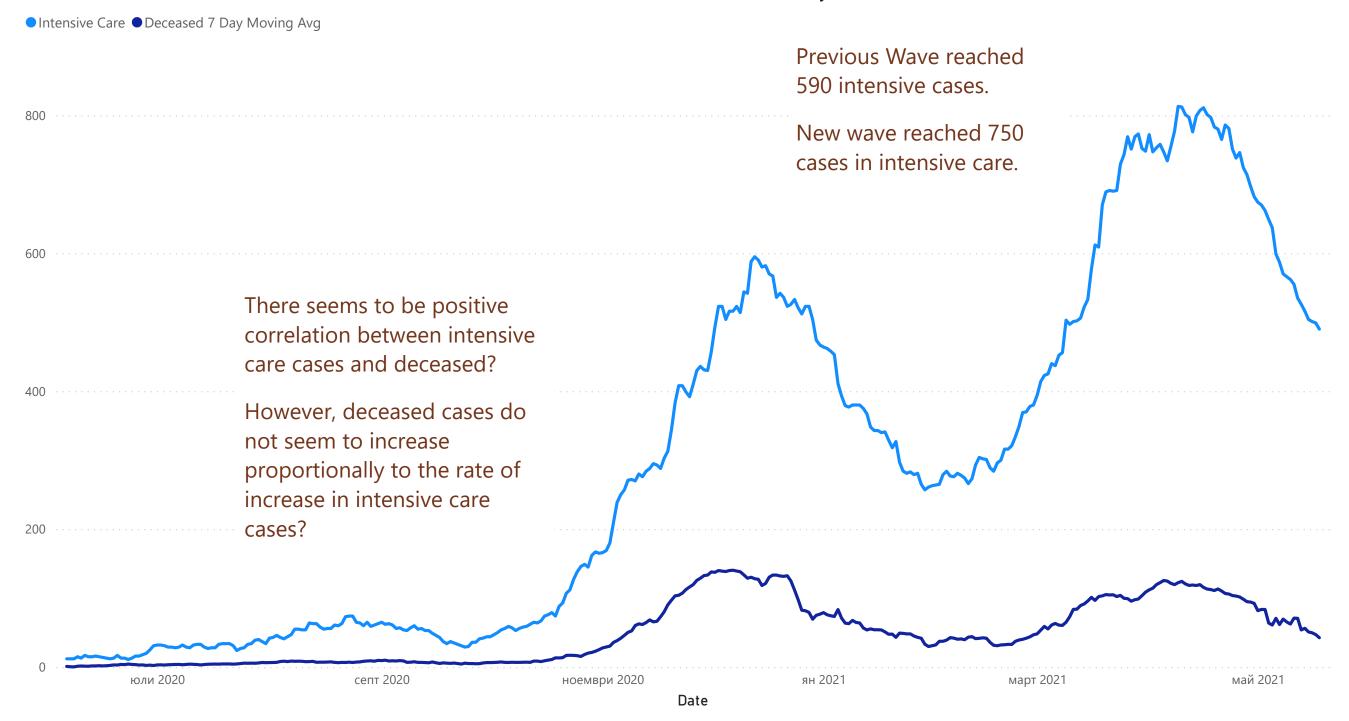




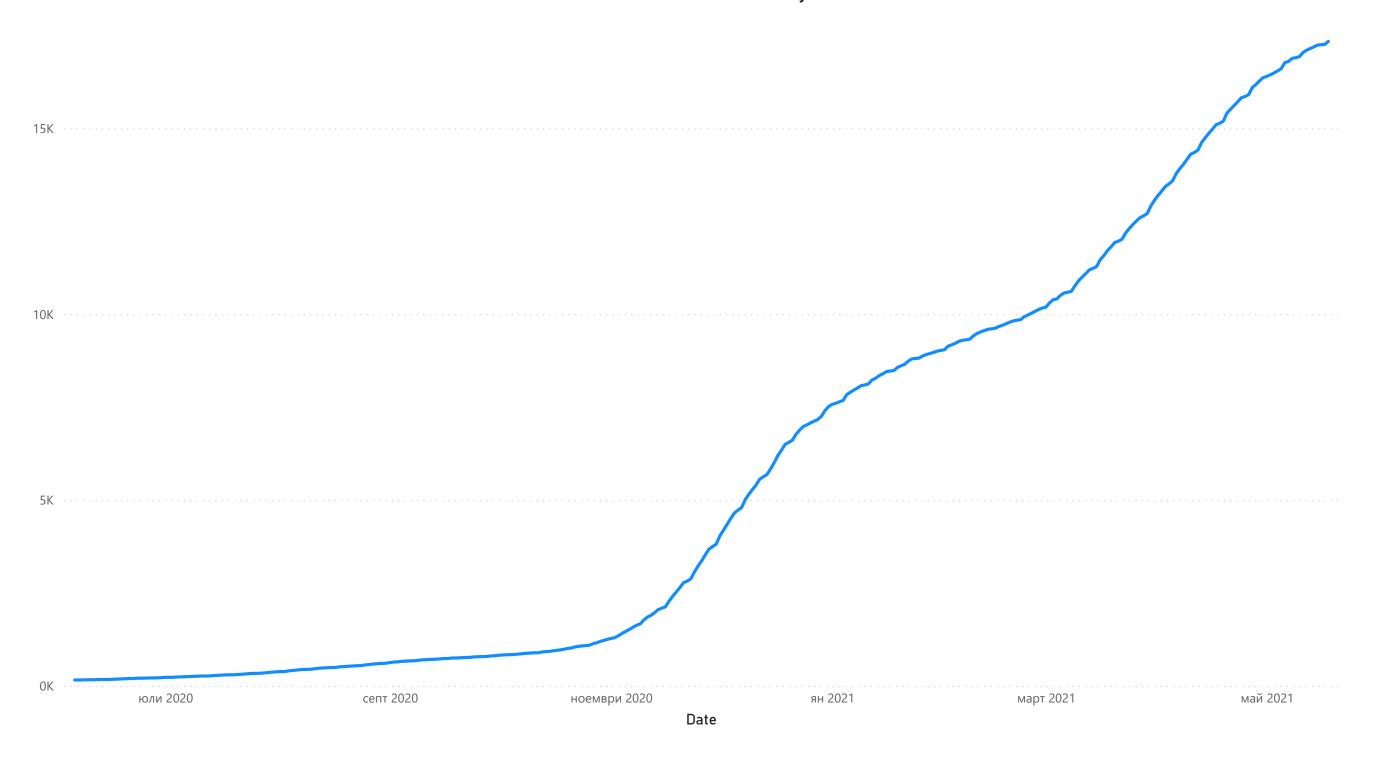
In Hospital (Daily basis)

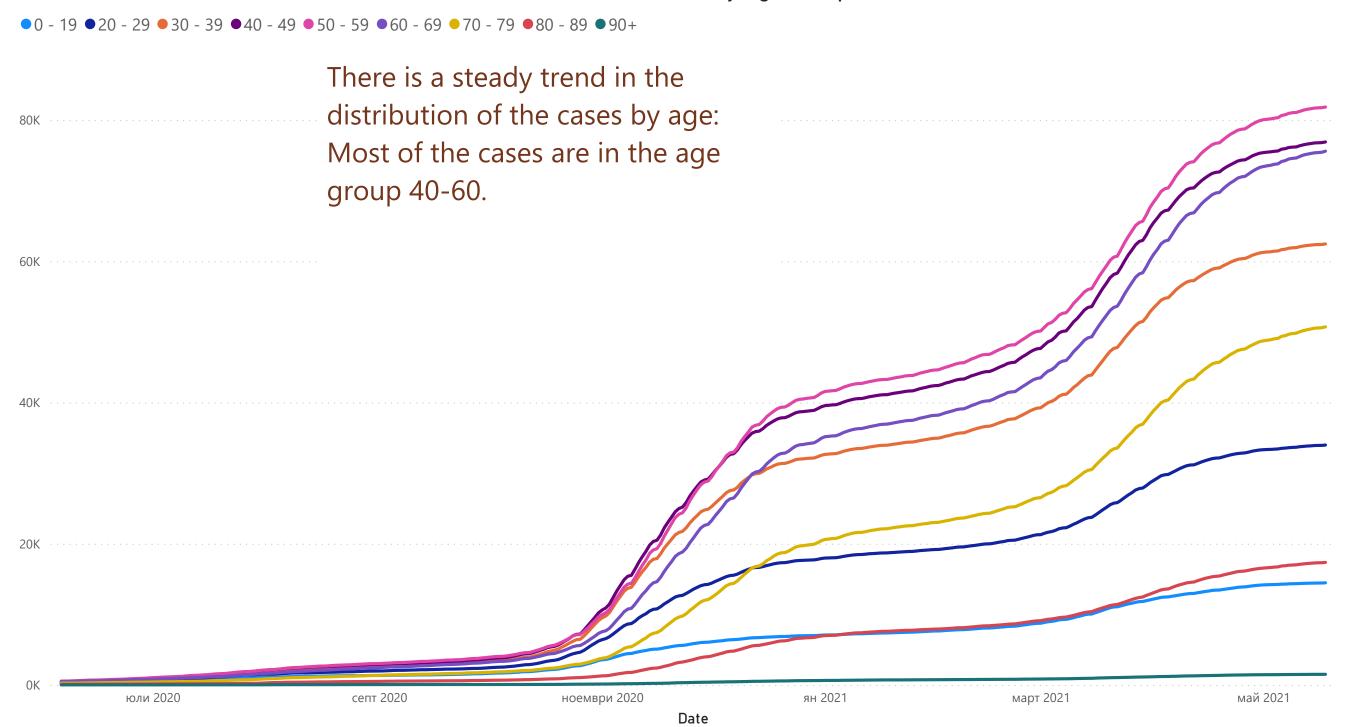


Intensive Care and Deceased (Daily basis)

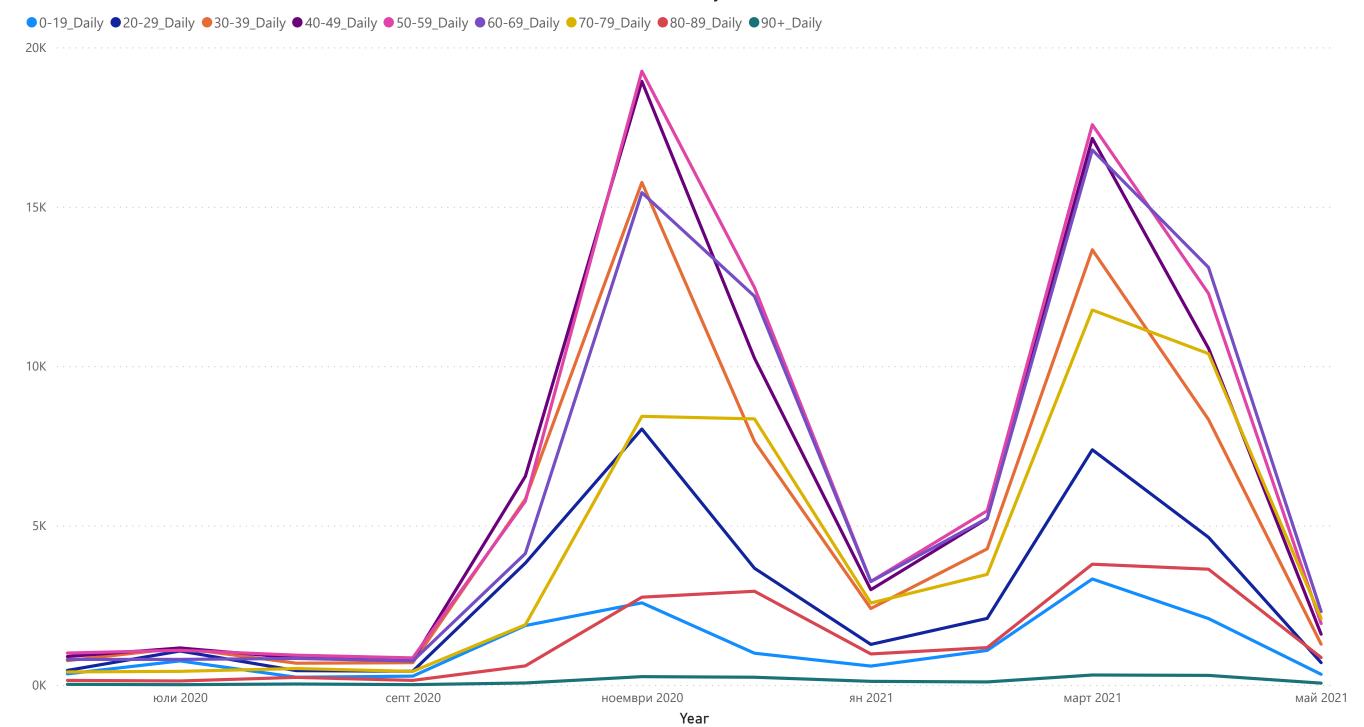


Deceased Accumulated (Daily basis)

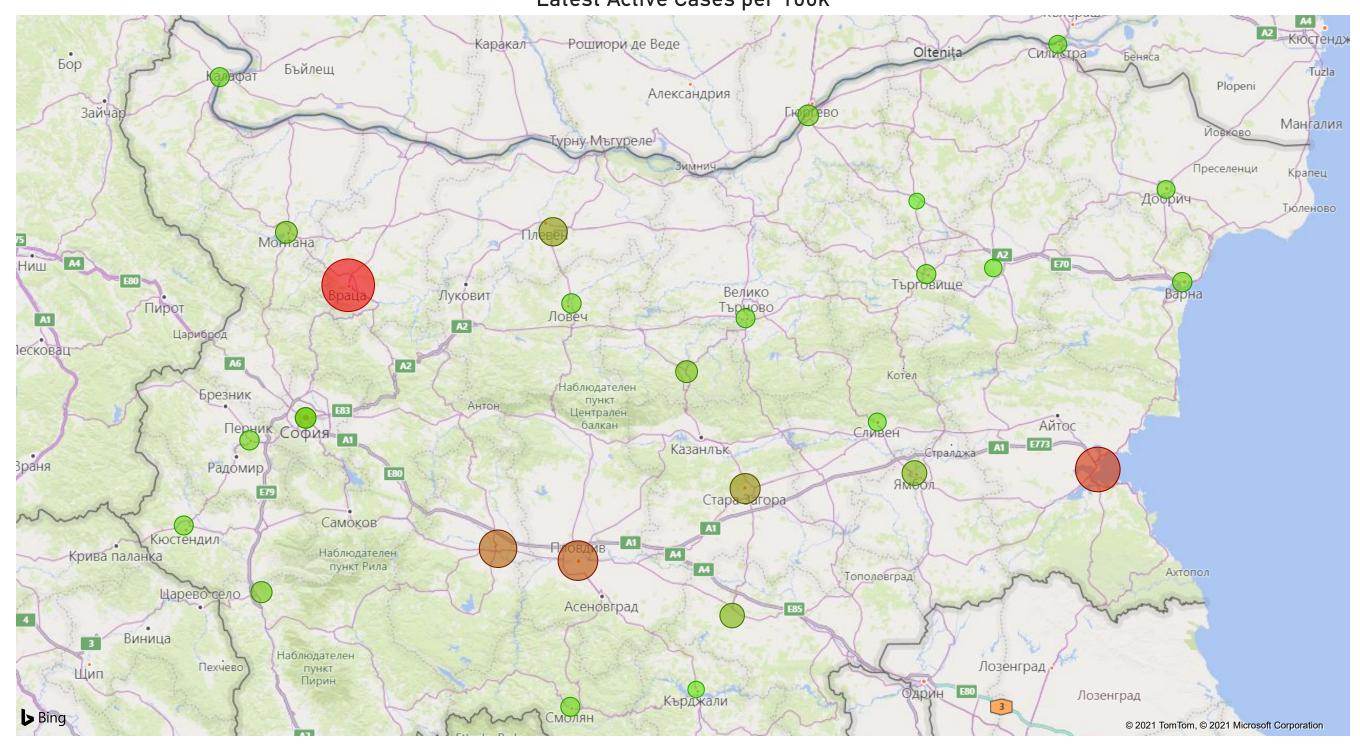




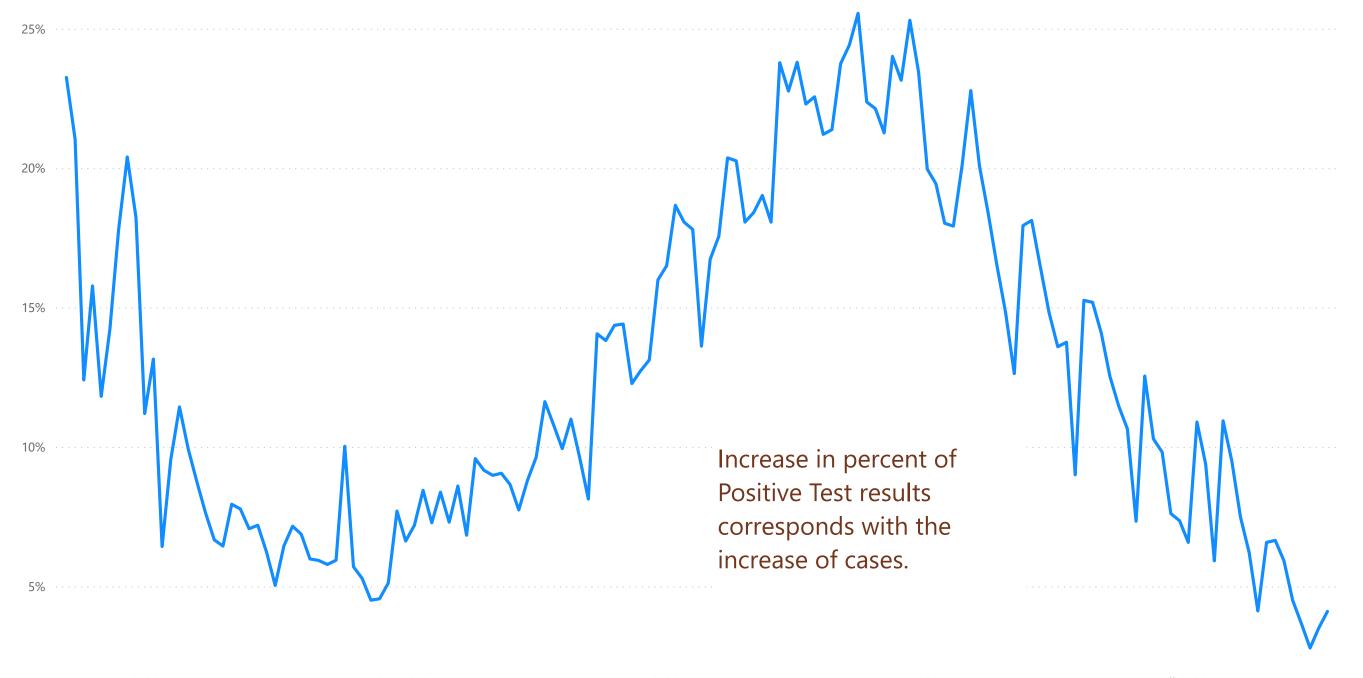
New Cases by Month

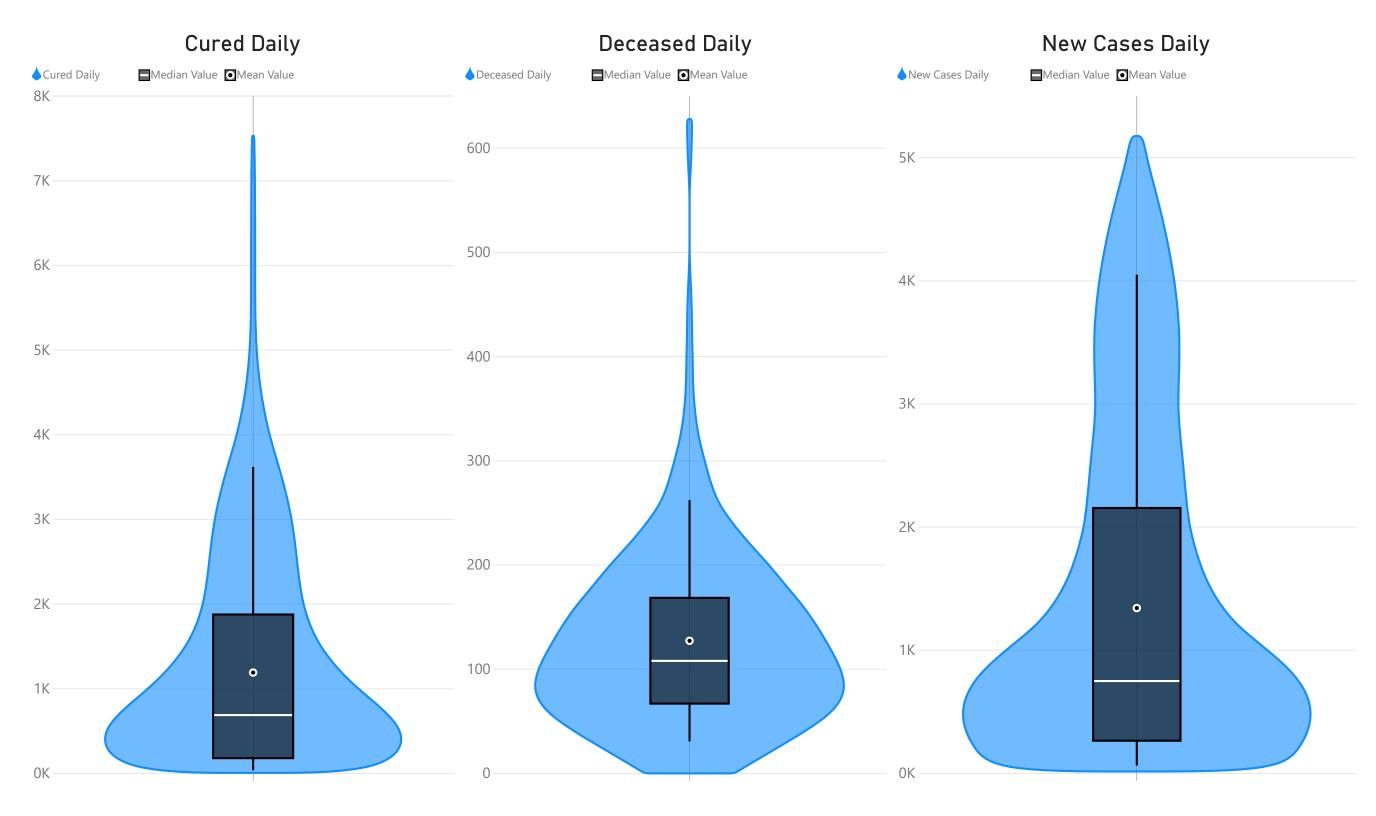


Latest Active Cases per 100k



Percent Positive Daily (Daily basis)





Descriptive Statistics by Region and Daily Cases

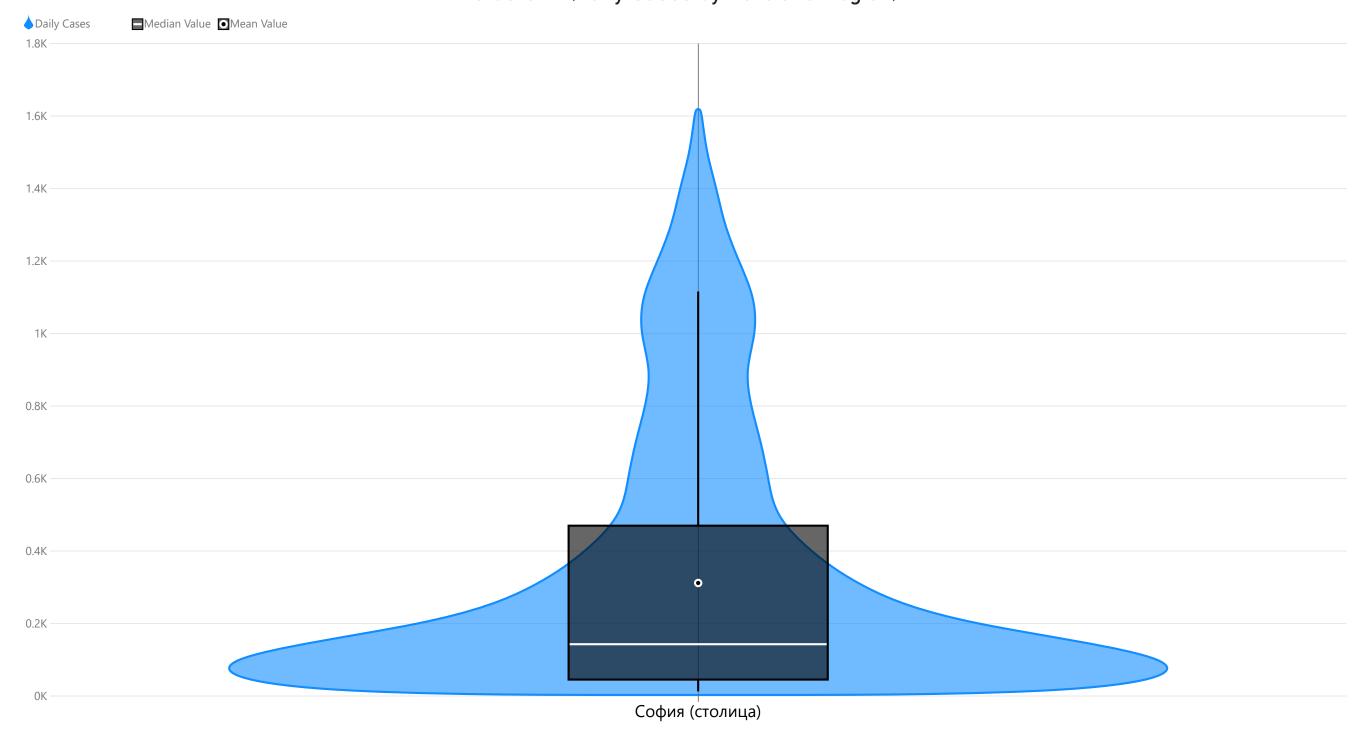
Region	Mean	Median	Standard Deviation
Благоевград	52,90	29	56,29
Бургас	78,20	35	100,96
Варна	89,33	37	106,44
Велико Търново	27,35	11	36,54
Видин	8,29	3	14,35
Враца	28,96	12	35,78
Габрово	19,30	8	28,90
Добрич	22,50	12	26,74
Кърджали	12,81	6	15,70
Кюстендил	25,60	13	29,70
Ловеч	16,15	7	20,21
Монтана	18,07	7	24,36
Пазарджик	32,12	18	33,34
Перник	22,94	11	26,98
Плевен	37,71	19	45,35
Пловдив	104,22	45	122,12
Разград	10,76	5	12,98
Pyce	40,37	15	53,58
Силистра	16,97	5	25,49
Сливен	29,67	17	32,62
Смолян	13,67	7	16,05
София	38,39	17	45,28
София (столица)	311,94	143	369,15
Стара Загора	50,70	19	66,68
Търговище	11,29	5	14,25
Хасково	28,07	10	34,70
Шумен	27,83	10	34,75
Ямбол	19,50	8	25,47

Distribution of daily cases seem to vary from one region to another.

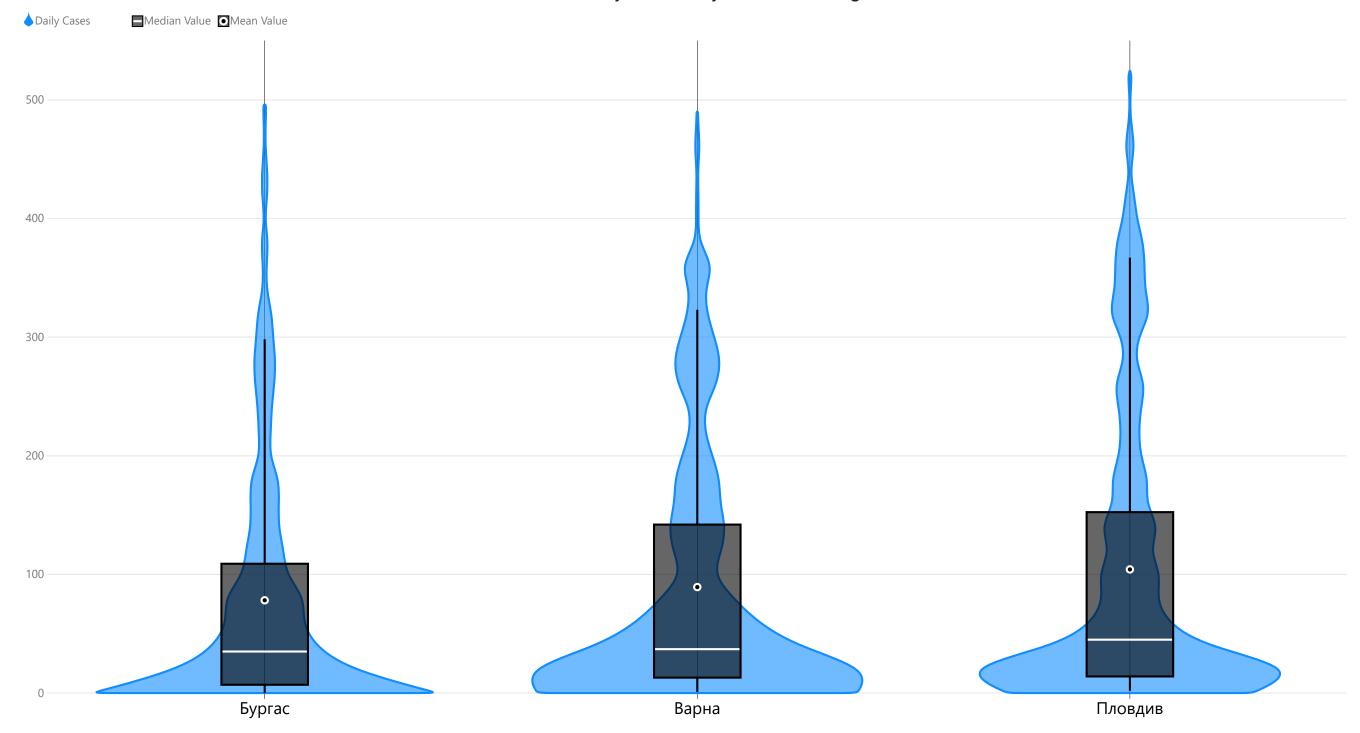
Still in some regions, the distribution looks similar.

Using k-means, the regions are grouped in 4 clusters in the following pages.

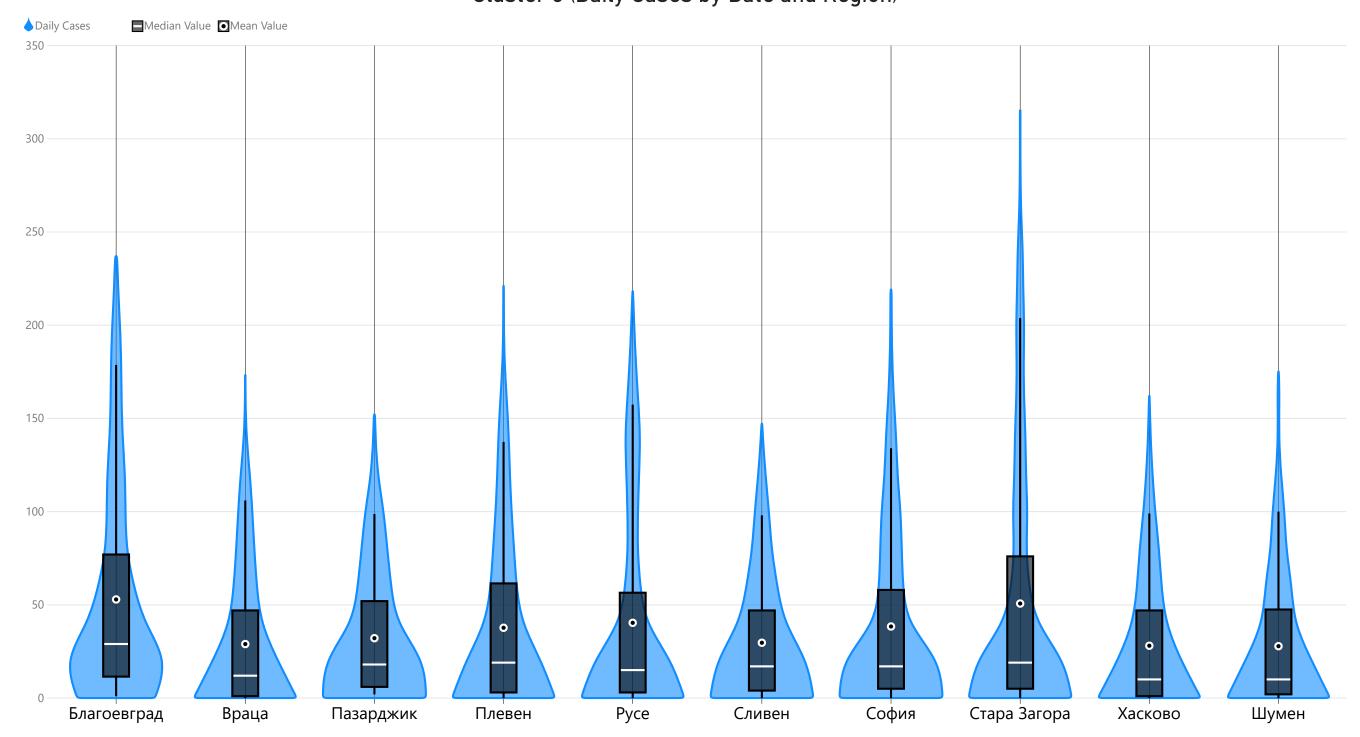
Cluster 1 (Daily Cases by Date and Region)



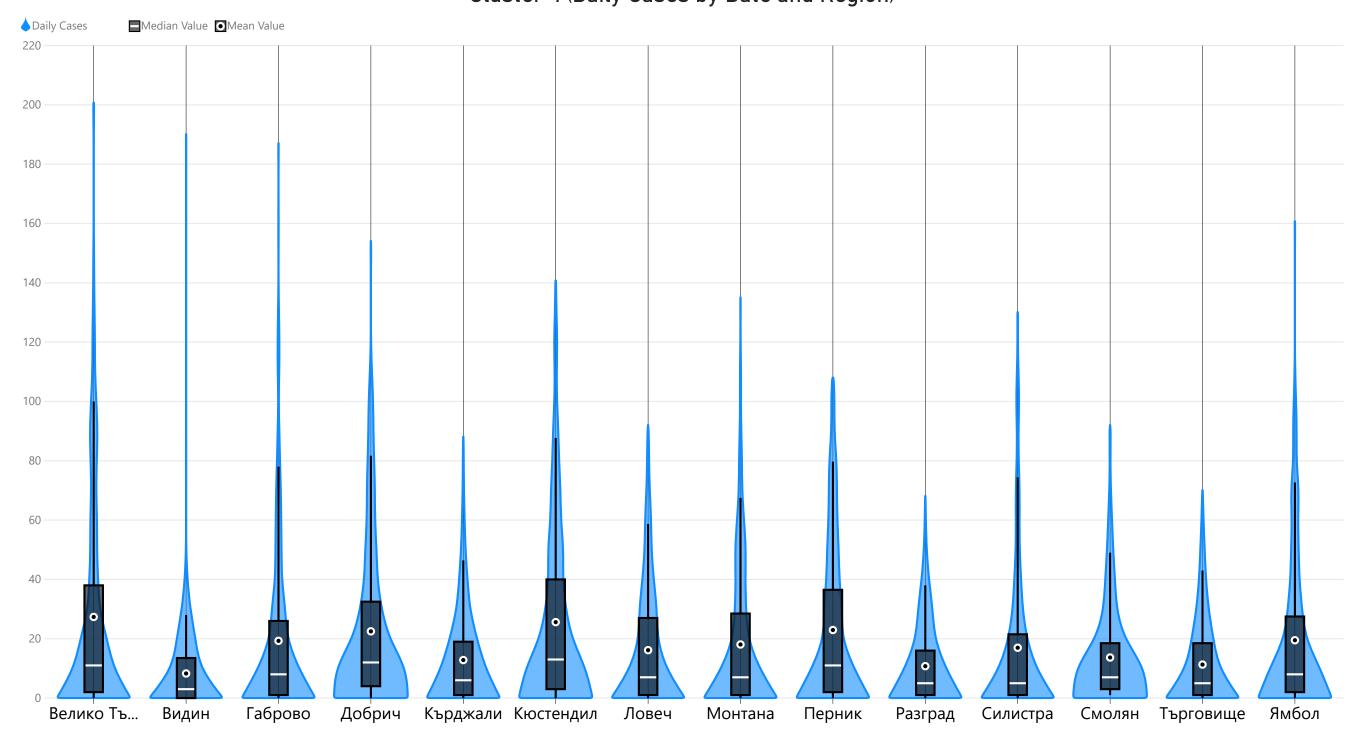
Cluster 2 (Daily Cases by Date and Region)

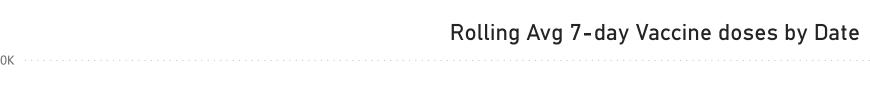


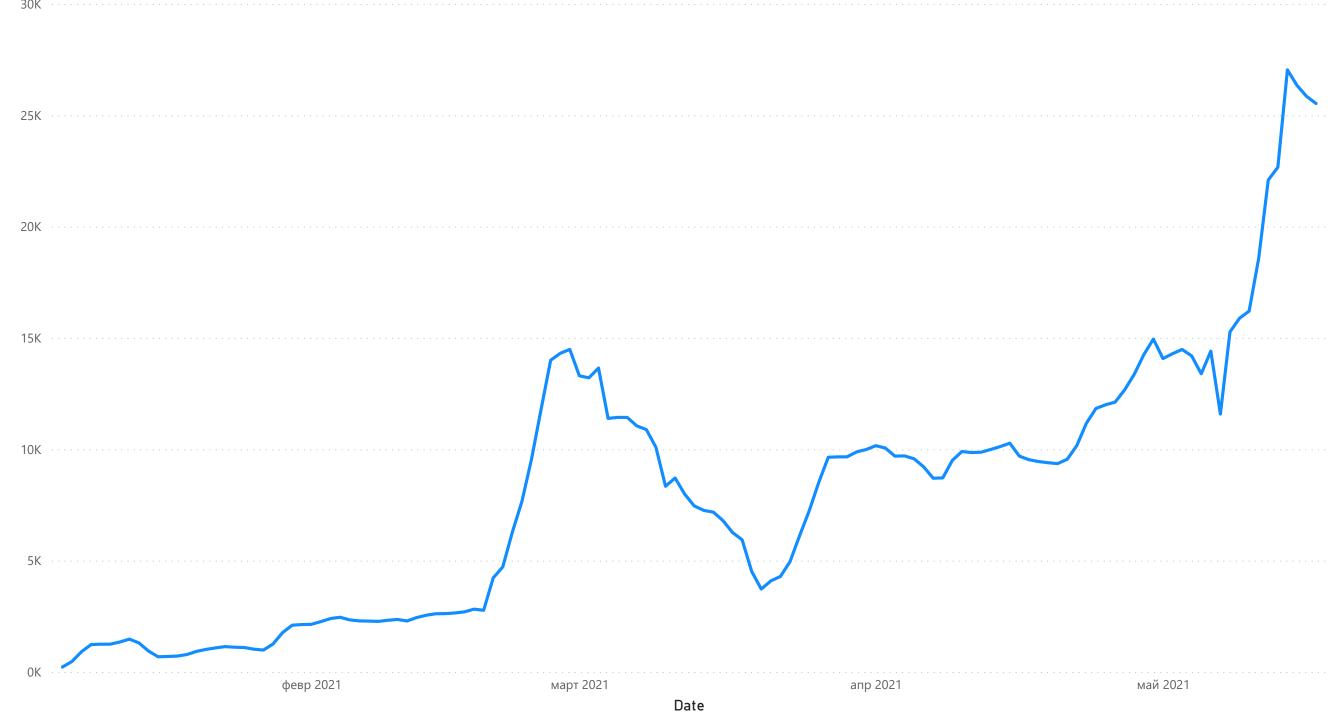
Cluster 3 (Daily Cases by Date and Region)



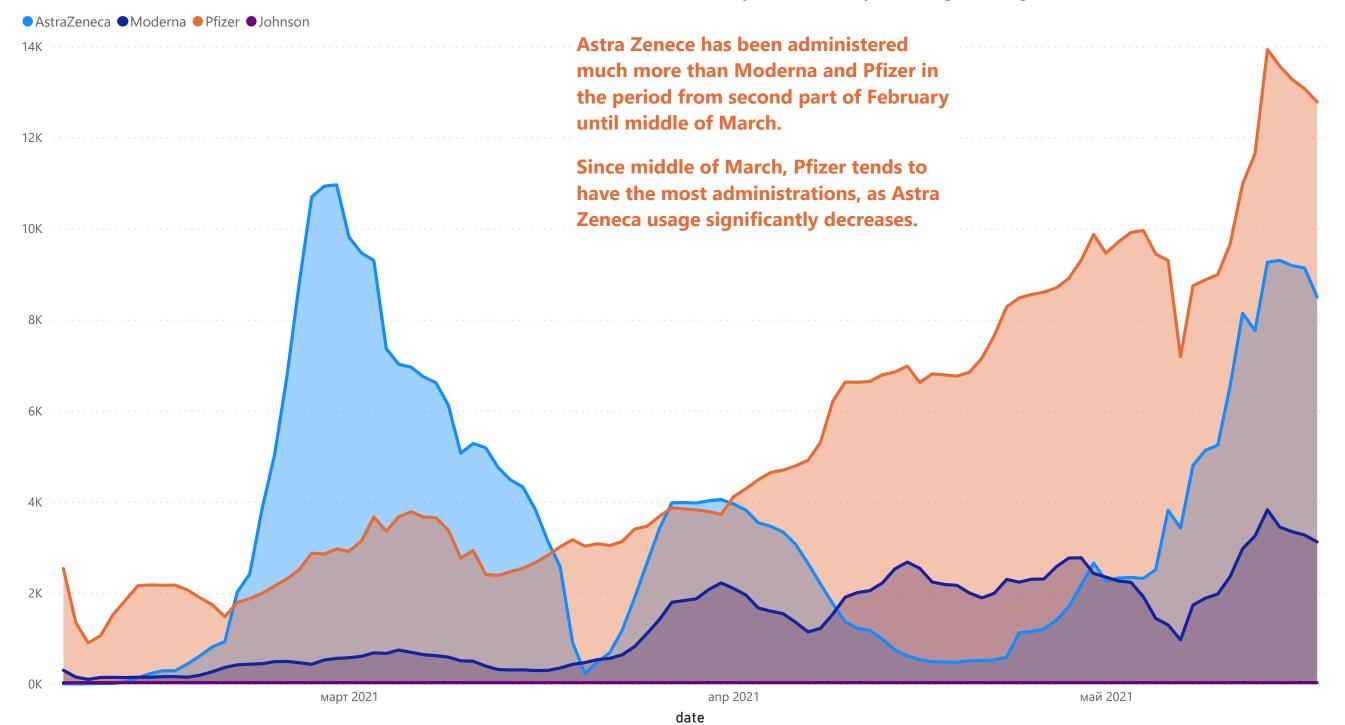
Cluster 4 (Daily Cases by Date and Region)



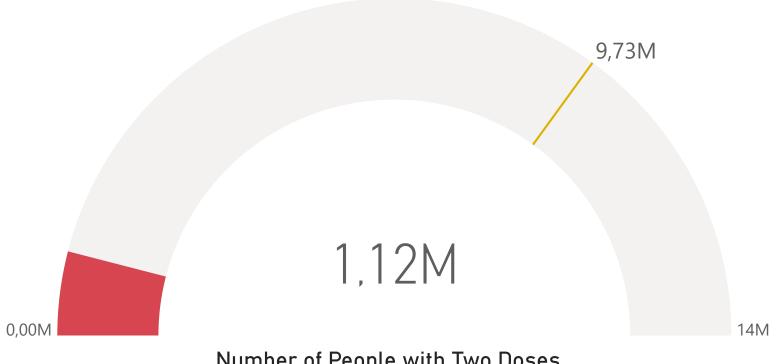




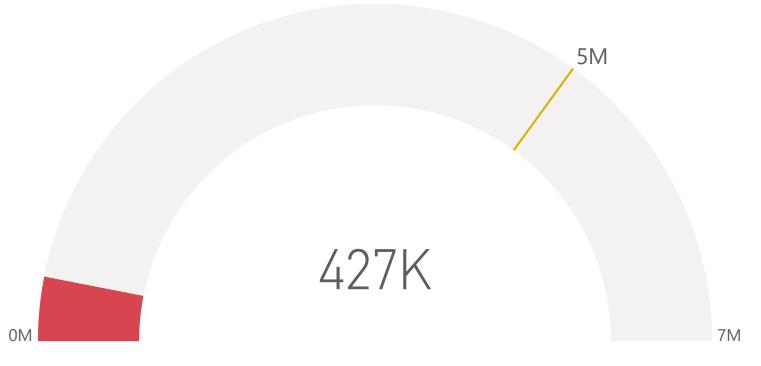
Astra Zeneca, Moderna and Pfizer doses by date (7-day moving average)



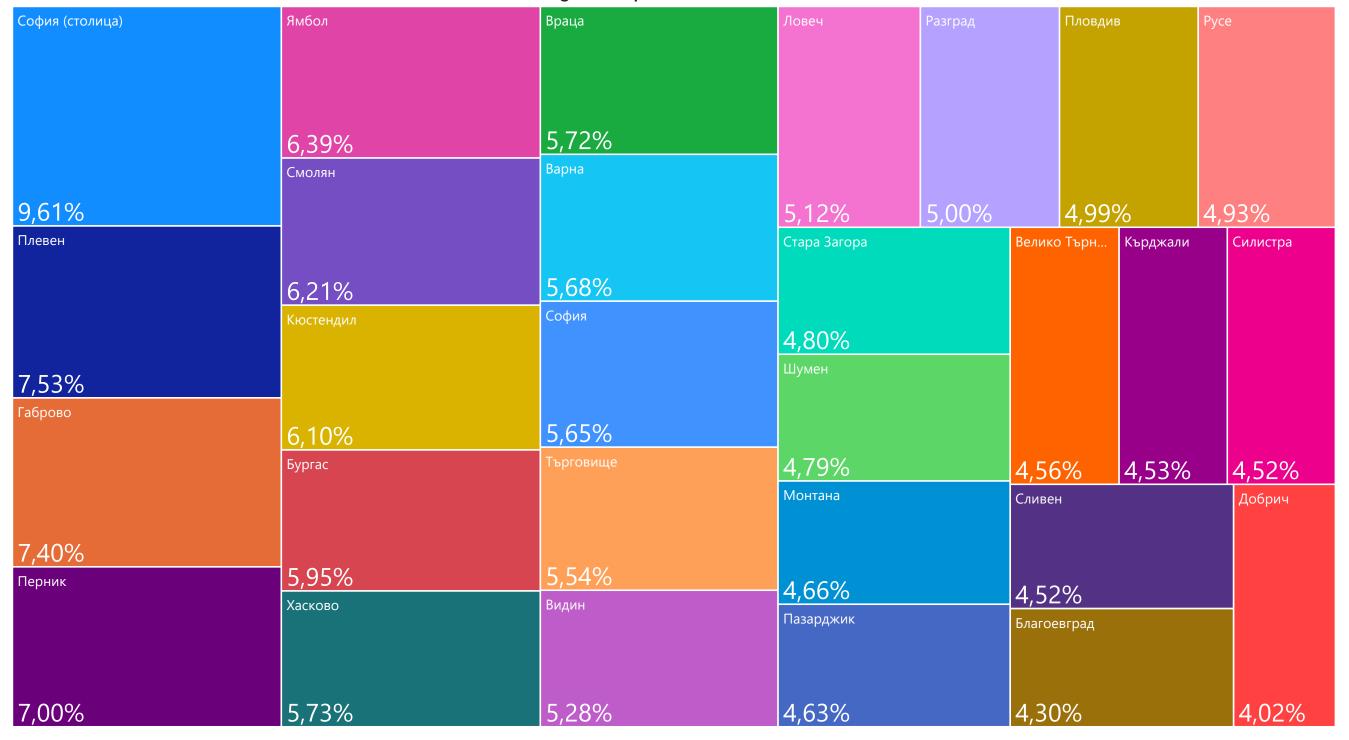
Total Vaccine Doses



Number of People with Two Doses



Percent Region Population with Second Dose



Sources

- 1. https://data.egov.bg/
- 2. https://coronavirus.bg/
- 3. https://www.nsi.bg/
- 4. https://github.com/svilens/covid-bulgaria
- 5. https://covid19bg.github.io/

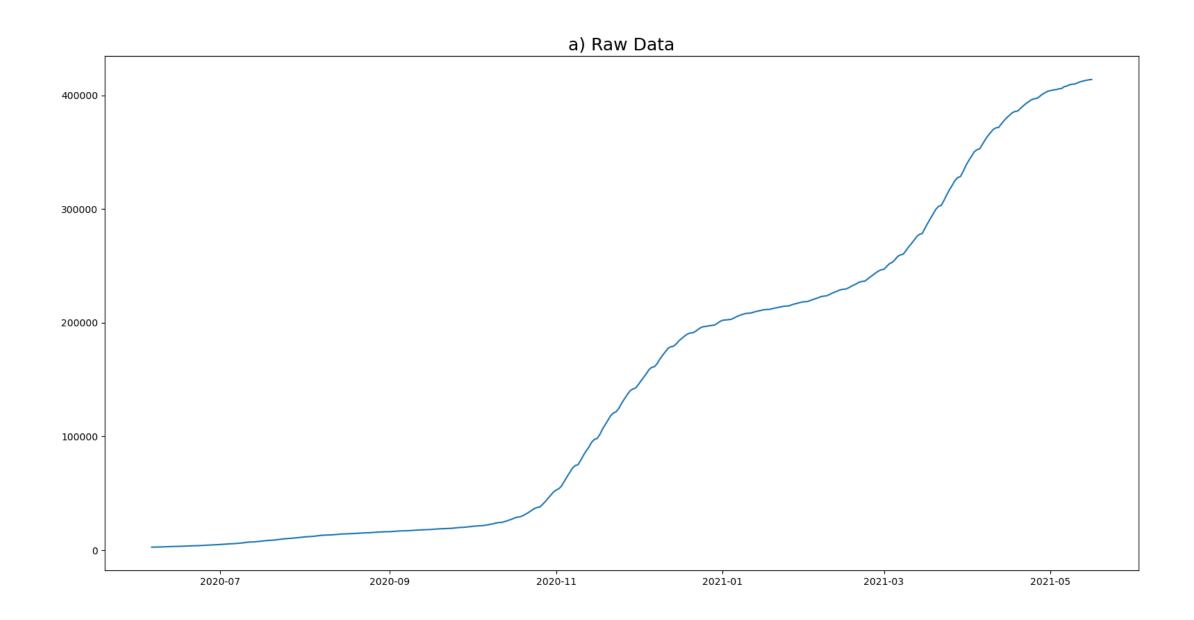
Predicting Accumulated Cases with ARIMA

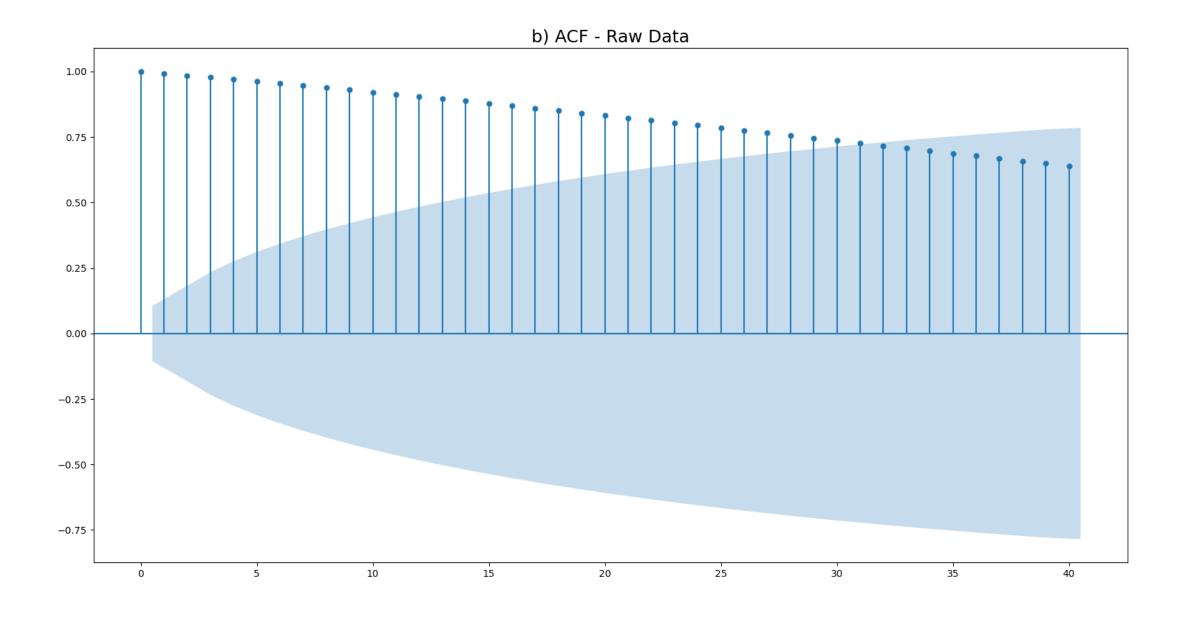
(18.5.2021)

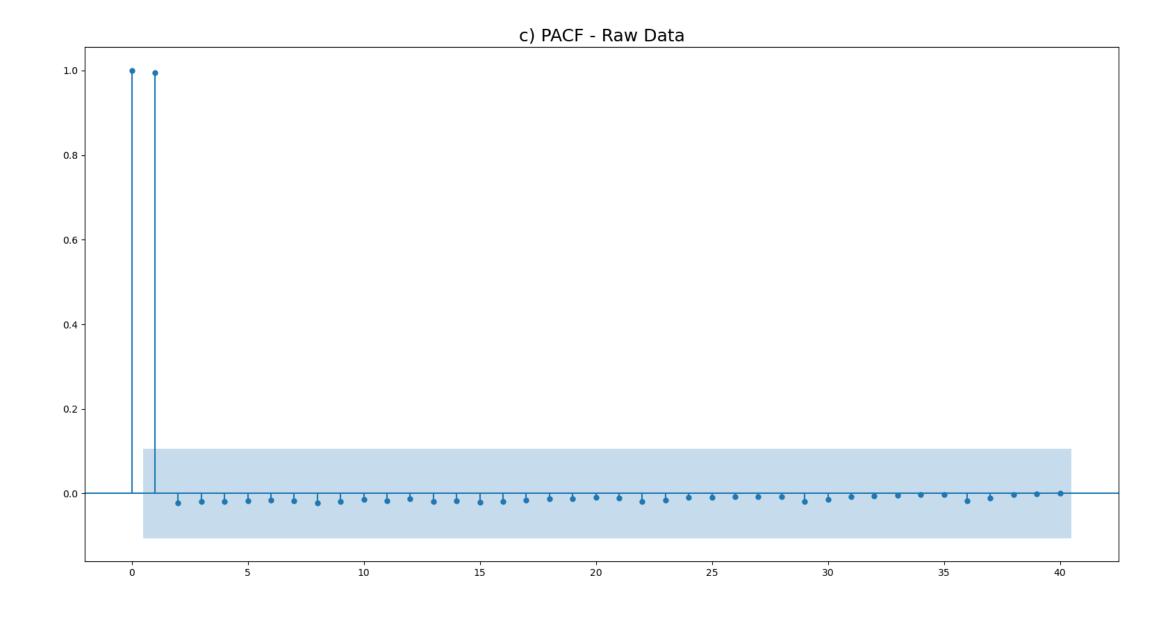
The procedure follows these steps:

- 1. Exploration of the raw data, along with ACF and PACF plots, and Dickey-Fuller test to determine whether data is stationary.
- 2. If data is non-stationary, apply differencing (if needed also 2nd order differencing) and plot the data again. Use Dickey-Fuller test to confirm that data is stationary. Determine the presence of seasonality in the data.
- 3. Find the optimal parameters of ARIMA model (using auto_arima from pmdarima library in python)
- 4. Train and test the determined optimal ARIMA model.
- 5. Evaluate the results from the testing of the ARIMA model.
- 6. Build the ARIMA model and make a forecast with 30 day horizon.

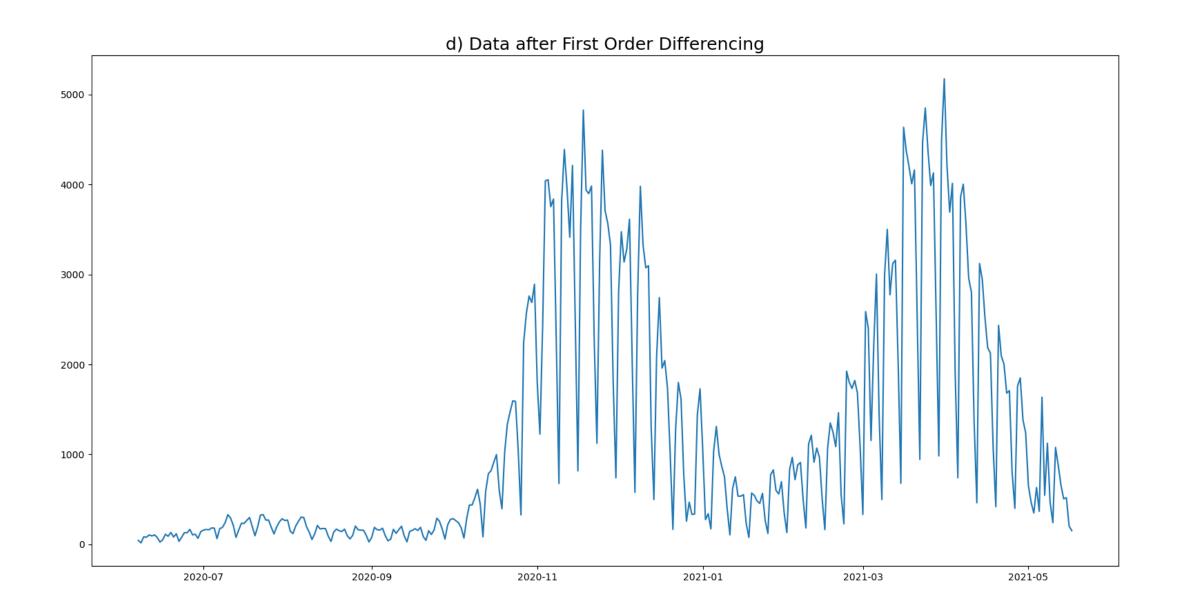
- In the first three graphs are displayed:
- a) The raw data (Accumulated Cases). The data appear to have a trend.
- b) The auto-correlation function plot of the raw data. The auto-correlation coefficients decrease gradually with the increase of lags. This suggests non-stationarity.
- c) The partial auto-correlation function plot of the raw data.
- Additionally, Augmented Dickey-Fuller test is used as statistic for checking whether data is stationary. The result of the the statistic is 0.77 with p-value of 0.99. This is also a strong evidence that the data is non-stationary.

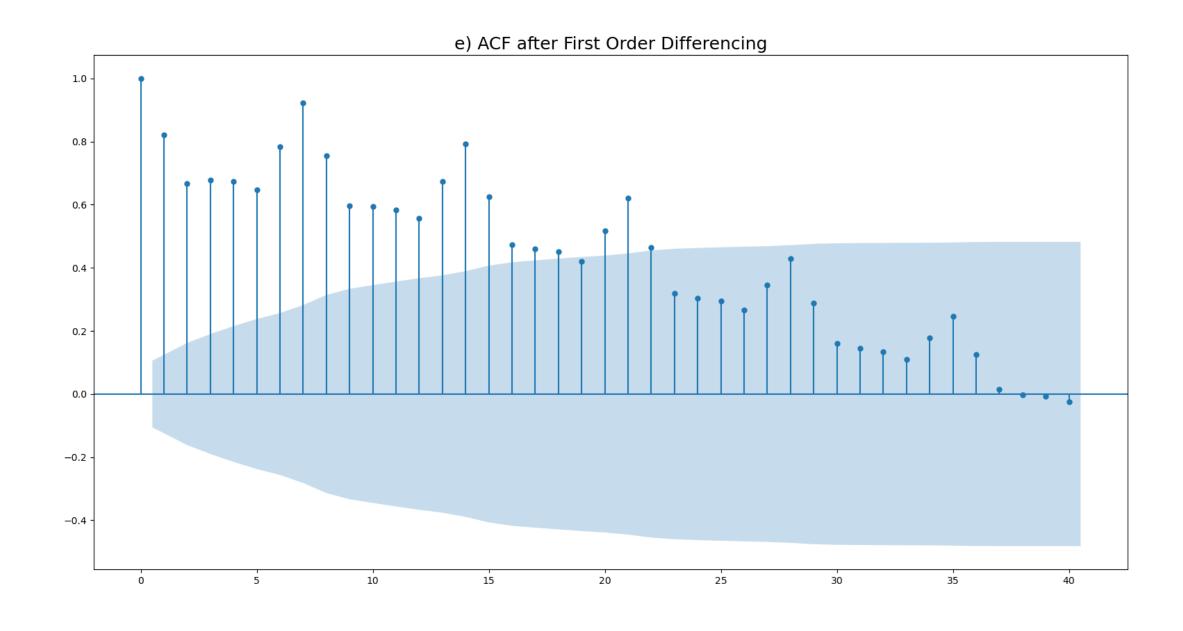


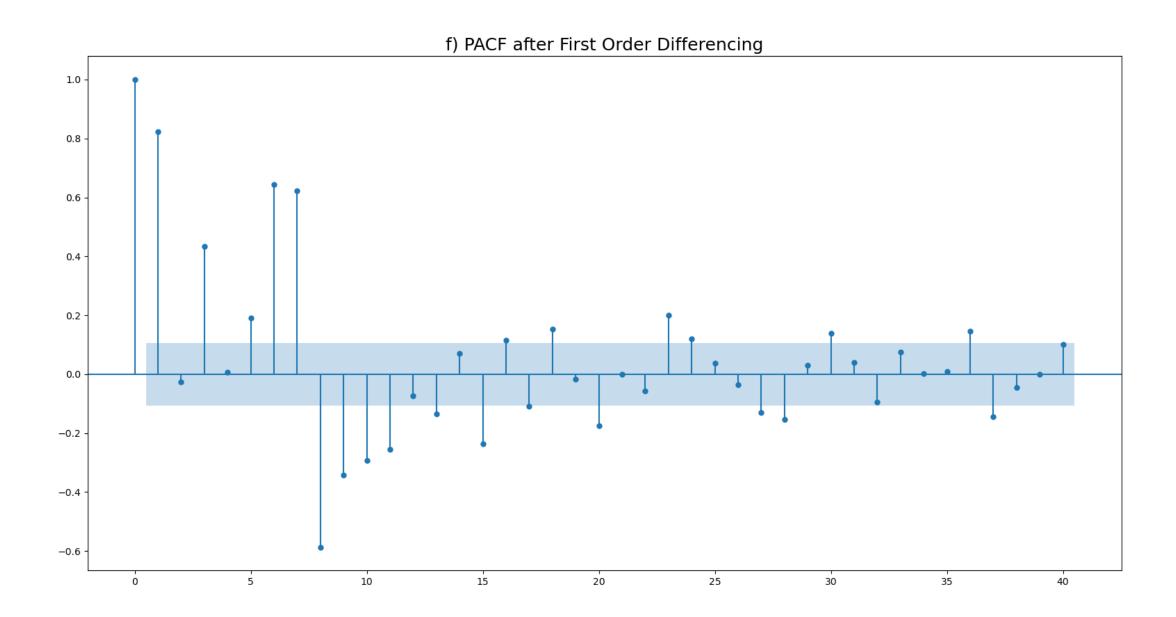




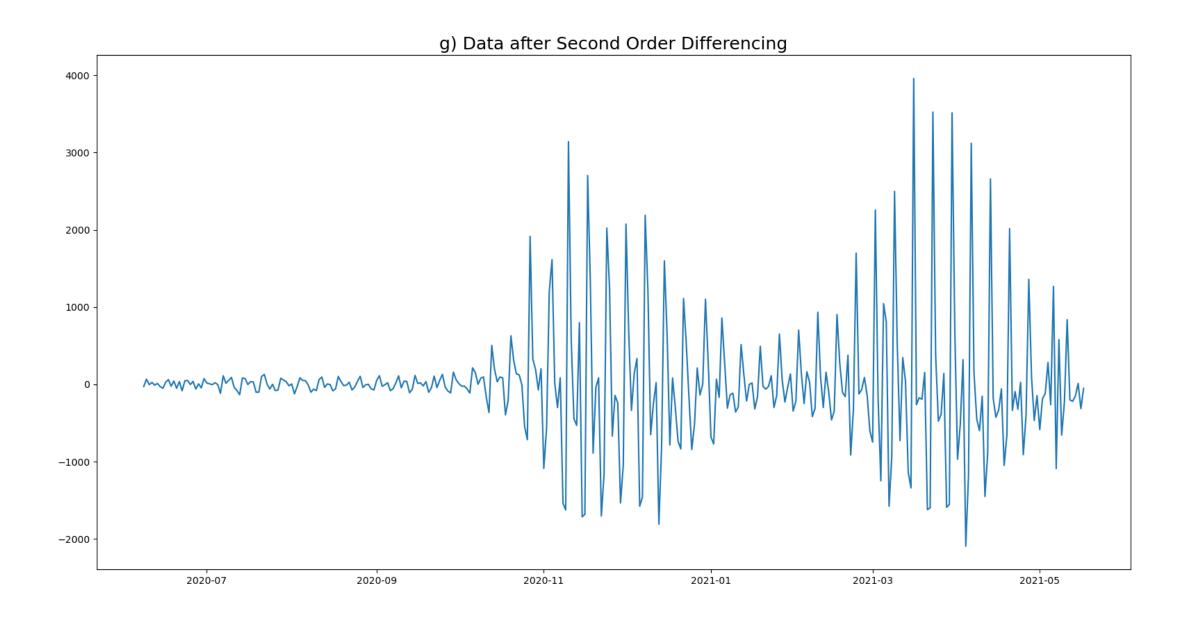
- First Order differencing is applied to the time series, in order to handle the stationary issue.
- The next three figures (d, e and f) plot again the time series and its ACF and PACF plots.
- Although the data appears now to be better suited for ARIMA modelling, it still seems to be non-stationary.
- Dickey-Fuller test also has a value suggesting a possible stationary with statistics result of -2.61 (p-value = 0.09).
- Second order differencing will be applied to be certain of stationary.
- From the ACF plot, it is important to note that there seems to be seasonality in the data (7 observations per cycle), which suggests using SARIMA, in order to handle seasonality. For example, on Mondays confirmed cases tend to be less than cases reported on other days of the week.

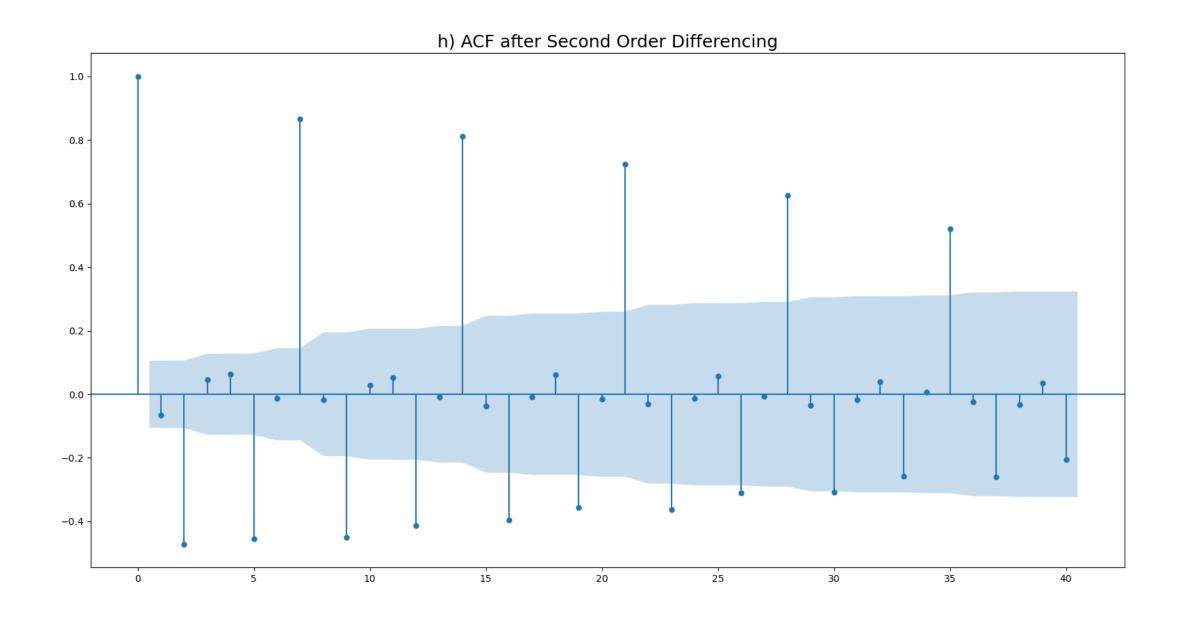


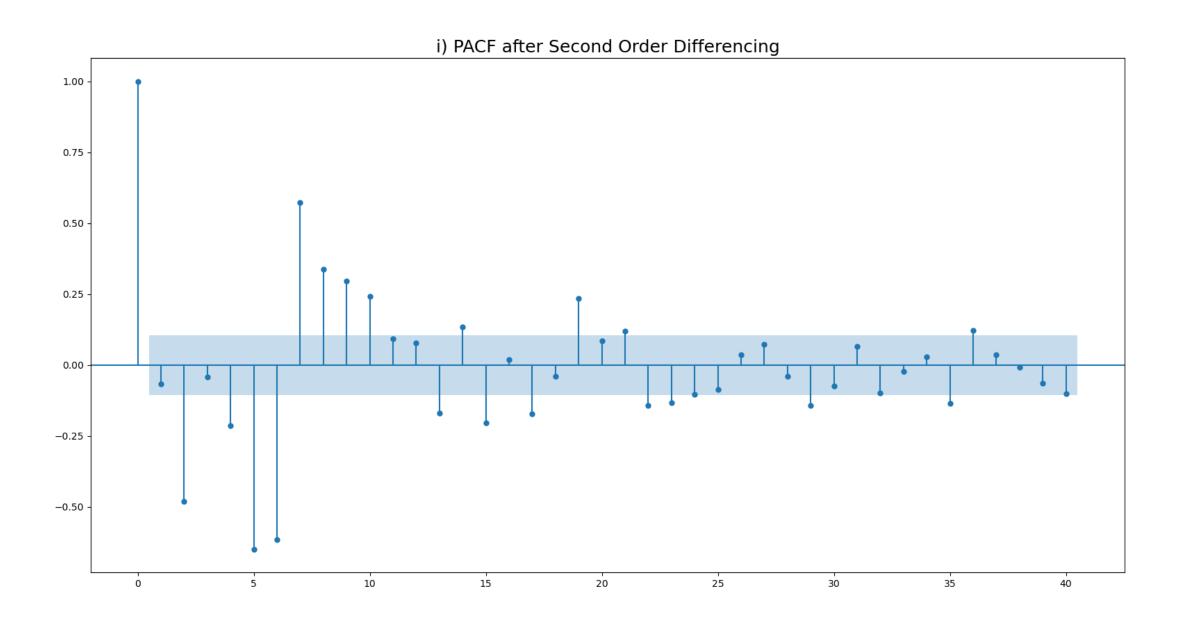




- Graphs g), h), i) visualize the time series data, ACF and PACF after applying second order differencing.
- The data seems to be always oscillating around 0 with different variance.
- The result of Dickey Fuller statistic is -3.04 with p-value of 0.03. It can considered as a very strong evidence that the data is now stationary.





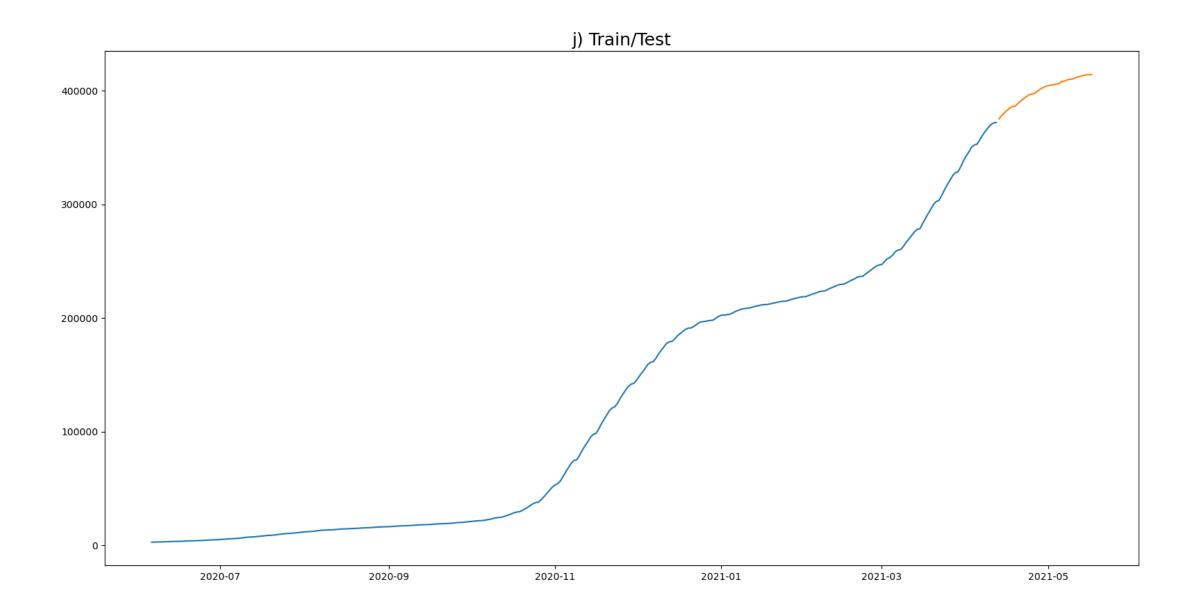


- The next step in the procedure is to determine the optimal parameters for the ARIMA model.
- The pmdarima library available in python finds the parameters of ARIMA that would minimize the AIC (Akaike Information Criterion) in a given time series.
- Since seasonality was detected during the data exploration step, SARIMA model is actually applied with 7 observations in a cycle. The results suggest using SARIMA with the following parameters: (p=3, d=2, q=0)(P=6, D=0, Q=1, m=7). The result for AIC is 4991. This recommendation points to AR model with second order differencing (expected based on the exploration of the data).

According to the procedure, the data is split into train and test. The train subset is used to train the SARIMA model with determined parameters and the test subset is used to evaluate it. The data available spans from 6.6.2020 to 18.5.2021. These are in total 347 observations.

The observations up until 13.4.2021 are used for training and the remaining 10 percent (until 18.5.2021) are kept for testing.

Graph j) shows the split of the data.



After the model is trained, it is used to make predictions for the period set aside for validation (14.4.2021 - 18.5.2021).

To evaluate the performance of the model three common metrics are used: Mean Squared Error (MSE), Root Mean Squared Error (RMSE), Mean Absolute Error (MAE)

The results are as follows:

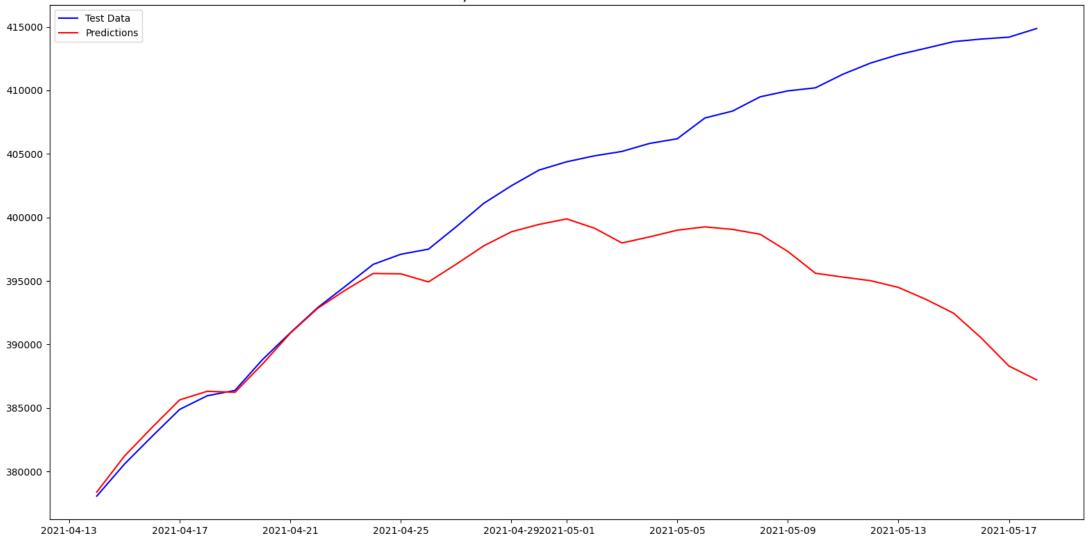
MSE = 132725755

RMSE = 11520

MAE = 8006

Graph k) plots the predictions against the actual test data. The model appears to make predictions closed to the expected in the first two weeks and after that error increases significantly.

k) Predictions vs Test Data



Finally, the model is built using all available data and forecast is made for the next 30 days. On the right is a table with the forecast of the accumulated confirmed cases for the next 30 days.

Graph I) visualizes the forecast.

Based on the predictions, it can be anticipated the cases to increases with around 13 000 by 18.6.2021.

Date	Cases
19 май 2021 г.	415 289,56
20 май 2021 г.	416 048,47
21 май 2021 г.	416 381,46
22 май 2021 г.	416 987,58
23 май 2021 г.	417 209,88
24 май 2021 г.	417 328,15
25 май 2021 г.	417 968,52
26 май 2021 г.	418 445,57
27 май 2021 г.	419 052,85
28 май 2021 г.	419 358,01
29 май 2021 г.	419 898,58
30 май 2021 г.	420 091,80
31 май 2021 г.	420 162,07
01 юни 2021 г.	420 815,92
02 юни 2021 г.	421 267,86
03 юни 2021 г.	421 872,99
04 юни 2021 г.	422 198,62
05 юни 2021 г.	422 856,45
06 юни 2021 г.	423 075,64
07 юни 2021 г.	423 115,10
08 юни 2021 г.	423 897,72
09 юни 2021 г.	424 558,41
10 юни 2021 г.	425 083,31
11 юни 2021 г.	425 505,99
12 юни 2021 г.	426 102,16
13 юни 2021 г.	426 317,87
14 юни 2021 г.	426 341,19
15 юни 2021 г.	427 078,30
16 юни 2021 г.	427 711,45
17 юни 2021 г.	428 343,44
18 юни 2021 г.	428 800,99

